**Online supplement to**

**Investigating Autonomous Vehicle Impacts on Individual Activity-Travel Behavior**

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| **Attitudinal Indicators** | **Loading of Indicators on Latent Constructs** |
| --- | --- |
| Tech-Savviness | Safety Concern | Variety-Seeking Lifestyle (VSL) | IPTT |
| Coeff. | t-stat | Coeff. | t-stat | Coeff. | t-stat | Coeff. | t-stat |
| I like to be among the first to have the latest technology  | 0. | 851 | 6. | 13 |   |   |   |   |  |  |
| Learning how to use new technologies is often frustrating for me | -0. | 336 | -5. | 36 |   |   |   |   |  |  |
| Having internet connectivity everywhere I go is important to me | 0. | 329 |  5. | 36 |   |   |   |   |  |  |
| I would feel comfortable having an AV pick up/drop off children without adult supervision |  |  |  |  | -0.872 | -23.65 |   |   |  |  |
| I am concerned about the potential failure of AV sensors, equipment, technology, or programs  |  |  |  |  | 0. | 459 | 13. | 69 |   |   |  |  |
| I would feel comfortable sleeping while traveling in an AV  |  |  |  |  | -0. | 886 | -22. | 04 |  |  |  |  |
| AVs would make me feel safer on the street as a pedestrian or as a cyclist  |  |  |  |  | -0. | 796 | -21. | 73 |  |  |  |  |
| I like trying things that are new and different |   |  |   |  |  |  |  |  | 0.704 | 14.94 |  |  |
| I like the idea of having store, restaurants, and offices mixed among the homes in my neighborhood |   |  |   |  |  |  |  |  | 0.397 |  6.73 |  |  |
| I make good use of the time I spend traveling |   |  |   |  |   |   |  |  |  |  | 0.372 | 5.15 |
| The level of congestion during my daily travel bothers me |   |  |   |  |   |   |  |  |  |  | 0.522 | 5.28 |
| I would make more long-distance trips when AVs are available because I wouldn’t have to drive |  |  |  |  |  |  |  |  |  |  | 0.345 | 4.73 |

**TABLE 1 Loadings of Latent Variables on Indicators**

**Methodology for Developing Continuous Latent Constructs**

The four latent constructs correspond to a total of 12 indicators (three for tech-savviness, four for AV safety concerns, two for variety-seeking lifestyle, and three for IPTT). To make the modeling exercise more tractable, without also losing any information, we first reduce the group of indicators for each construct to a single continuous “factor” using the traditional confirmatory analysis results (see Moore *et al.,* 2020 for a similar procedure). In order to ensure that all the indicators for each latent construct are appropriately scaled, we make the following normalization:

 (1)

where  is the sample mean vector of the indicators and  is the sample standard deviation vector. Then, the factor analysis is undertaken as  , where  is a vector of the  factor’s (latent construct’s) loadings on each of its indicators, and  is a vector of error terms to recognize that the indicator vector  (and, equivalently, ) is obtained only for a sample of the population. The loading vector  is essentially estimated by capturing as much of the variance-covariance of the original  elements through the variance-covariance of the loading vector  (see Mueller and Hancock, 2001). In doing so, the elements of the vector are assumed independent of ,and the scale of the factoritself is normalized to the standard deviation of one with a mean value of zero (this is an innocuous normalization). Once the loading vector  is estimated for each latent construct, the single continuous indicator value for each of the latent constructs is computed as  Of course, these are point values for a particular sample, and are considered as manifestations of the underlying stochastic latent construct . That is, we write  in our econometric model, and then write  itself as a linear function of covariates:

 (2)

where ***w*** is a  vector of observed covariates (including a constant),  is a corresponding  vector of coefficients, and  is a standard normally distributed random error term. We also define the  matrix , and the  vectors  and  In our empirical case, *L*=4, corresponding to the four latent constructs. In matrix form, we may write Equation (2) as:

. (3)

We consider a multivariate normal correlation structure for  to accommodate correlations among the unobserved latent variables: , where  is an  column vector of zeros, and  is correlation matrix. As a first stage of estimation, we then perform a multivariate regression analysis on this system of latent construct equations using the maximum likelihood approach to obtain estimates for the coefficients in vector  for the observed covariates. Based on the estimates obtained in our multivariate regression model, we construct the estimated continuous values for each of the latent constructs for each individual in the sample. Therefore, we can write the single continuous factor for each construct as =, where  are the estimated coefficients and is the estimated continuous value for latent construct *l.* In our second stage model (discussed in the following framework), these estimated latent values appear on the right side of the main outcome utilities as exogenous variables (along with other individual and household variables).

**Multivariate Ordered-Response Probit** **(MORP) Framework for Modeling Outcomes**

Let *q* be an index for individuals (*q* = 1, 2, …, *Q*), and let *i* be the index for emotion (*i* = 1, 2, …, *I*, where *I* denotes the total number outcomes of interest for each individual; in the current study, *I* = 5). Let the number of ordinal levels for the outcome variables be *K* + 1 (*i.e.*, the response of an emotional ratingis indexed by *k* and belongs in {0, 1, 2, …, *K*}). There is no need to index *K* by *i* because all trip propensity variables are mapped to a five-point ordinal scale. Following the usual ordered response framework notation, the latent propensity () for each trip propensity variable is written as a function of relevant covariates and this latent propensity is related to the observed count outcome () through threshold bounds (McKelvey and Zavoina, 1975):

 if , (4)

where  is a (*L×*1) vector of exogenous variables (not including a constant) which also includes the estimated continuous latent scores for each latent constructs as discussed in Section 3.2.2, is a corresponding (*L×*1) vector of coefficients to be estimated,  is a standard normal error term, and is the lower bound threshold for count level *k* of AV trip propensity variable *i*  for each AV trip propensity *i*). The  terms are assumed independent and identical across individuals (for each and all *i*). Due to identification restrictions, the variance of each  term is normalized to 1. However, correlations are allowed in the  terms across the AV trip propensity variables *i* for each individual *q*. Specifically, define  Then,  is multivariate normal distributed with a mean vector of zeros and a correlation matrix as follows:

 (5)

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The off-diagonal terms of **Σ** capture the error covariances among the underlying latent continuous variables of the different trip propensity variables; that is, they account for the presence of common unobserved factors influencing the intensity outcome for each variable. Thus, if  is positive, it implies that individuals with a higher propensity to undertake a greater number of trips in an AV setting are also likely to travel further for shopping. If all correlation parameters (*i.e*., off-diagonal elements of **Σ**) stacked into a vertical vector, **Ω**, are identically zero, the model system in Equation (1) collapses to a series of independent ordered response probit models for each AV trip propensity variable.

The parameter vector of the multivariate probit model is  where  for . Let the actual observed AV trip propensity level for individual *q* and outcome variable *i* be *mqi*. In that case, the likelihood function for individual *q* may be written as follows:



 (6)

 in the above expression represents the standard multivariate normal density function. Calculating the high-order *I*-dimensional rectangular integral in Equation (3) is computationally challenging. However, a recent efficient matrix-based approach devised by Bhat (2018), has been used to compute the rectangular integral shown above and estimate coefficients of the multivariate ordered response model. The mathematical formulations for the method have been omitted for brevity and may be found elsewhere (Bhat, 2018).

**TABLE 2 Average Treatment Effect (ATE) for the TDS Dimension**

|  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- |
| **Variable** | **Base Level** | **Treatment Level** | **% Contribution by mediation through** | **% Direct Effect** | **Overall ATE** |
| **Tech-Savviness increase** | **Safety Concern decrease** | **Variety-Seeking Lifestyle increase** | **IPTT increase** |
| ***Socio-demographic*** |  |  |
| Gender | Male | Female | 0 | -58 | 0 | 0 | 42 | -0.202 |
| Age | >65 | 18-29 years | 0 | 40 | 4 | 19 | 37 | 0.229 |
| Employment Status | Unemployed | Employed | 0 | 52 | 0 | 48 | 0 | 0.09 |
| Student status | Non-student | Student | 0 | 0 | -100 | 0 | 0 | -0.021 |
| Education | Less than graduate degree | Graduate degree | 0 | 0 | 0 | 100 | 0 | 0.091 |
| Income | <$100,000 | >$250,000 | 0 | 47 | 23 | 0 | -30 | 0.151 |
| Presence of children | Not present | Present | 0 | -59 | 0 | -41 | 0 | -0.065 |
| ***Built-environment effects*** |  |  |
| Land use | Rural/suburban | Urban | - | - | - | - | - | - |
| Population density | Low/Medium | High | - | - | - | - | - | - |
| Land-use mix | 25th percentile | 75th percentile | - | - | - | - | - | - |
| Retail density | Low/Medium | High | 0 | 0 | 0 | 0 | -100 | -0.16 |

**TABLE 3 Average Treatment Effect (ATE) for the TDL Dimension**

|  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- |
| **Variable** | **Base Level** | **Treatment Level** | **% Contribution by mediation through** | **% Direct Effect** | **Overall ATE** |
| **Tech-Savviness increase** | **Safety Concern decrease** | **Variety-Seeking Lifestyle increase** | **IPTT increase** |
| ***Socio-demographic*** |  |  |
| Gender | Male | Female | 5 | -60 | 0 | 0 | 35 | -0.207 |
| Age | >65 | 18-29 years | -4 | 31 | 3 | 18 | 44 | 0.269 |
| Employment Status | Unemployed | Employed | 0 | 47 | 0 | 53 | 0 | 0.143 |
| Student status | Non-student | Student | 0 | 0 | -100 | 0 | 0 | -0.048 |
| Education | Less than graduate degree | Graduate degree | 0 | 0 | 0 | 100 | 0 | 0.112 |
| Income | <$100,000 | >$250,000 | -10 | 62 | 28 | 0 | 0 | 0.274 |
| Presence of children | Not present | Present | 0 | -54 | 0 | -46 | 0 | -0.021 |
| ***Built-environment effects*** |  |  |
| Land use | Rural/suburban | Urban | - | - | - | - | - | - |
| Population density | Low/Medium | High | - | - | - | - | -100 | -0.2 |
| Land-use mix | 25th percentile | 75th percentile | - | - | - | - | -100 | -0.047 |
| Retail density | Low/Medium | High | - | - | - | - | - | - |

**TABLE 4 Average Treatment Effect (ATE) for the ALDT Dimension**

|  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- |
| **Variable** | **Base Level** | **Treatment Level** | **% Contribution by mediation through** | **% Direct Effect** | **Overall ATE** |
| **Tech-Savviness increase** | **Safety Concern decrease** | **Variety-Seeking Lifestyle increase** | **IPTT increase** |
| ***Socio-demographic*** |  |  |
| Gender | Male | Female | 0 | -55 | 0 | 0 | 45 | -0.062 |
| Age | >65 | 18-29 years | 0 | 29 | 3 | 18 | 50 | 0.416 |
| Employment Status | Unemployed | Employed | 0 | 46 | 0 | 54 | 0 | 0.155 |
| Student status | Non-student | Student | 0 | 0 | -100 | 0 | 0 | -0.021 |
| Education | Less than graduate degree | Graduate degree | 0 | 0 | 0 | 100 | 0 | 0.133 |
| Income | <$100,000 | >$250,000 | 0 | 68 | 32 | 0 | 0 | 0.17 |
| Presence of children | Not present | Present | 0 | -53 | 0 | -47 | 0 | -0.076 |
| ***Built-environment effects*** |  |  |
| Land use | Rural/suburban | Urban | - | - | - | - |   | - |
| Population density | Low/Medium | High | - | - | - | - |   | - |
| Land-use mix | 25th percentile | 75th percentile | - | - | - | - |   | - |
| Retail density | Low/Medium | High | - | - | - | - | - | - |

**TABLE 5 Average Treatment Effect (ATE) for the CTT Dimension**

|  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- |
| **Variable** | **Base Level** | **Treatment Level** | **% Contribution by mediation through** | **% Direct Effect** | **Overall ATE** |
| **Tech-Savviness increase** | **Safety Concern decrease** | **Variety-Seeking Lifestyle increase** | **IPTT increase** |
| ***Socio-demographic*** |  |  |
| Gender | Male | Female | 0 | -100 | 0 | 0 | 0 | -0.023 |
| Age | >65 | 18-29 years | 0 | 46 | 0 | 0 | 54 | 0.083 |
| Employment Status | Unemployed | Employed | 0 | 100 | 0 | 0 | 0 | 0.012 |
| Student status | Non-student | Student | 0 | 0 | 0 | 0 | 0 | - |
| Education | Less than graduate degree | Graduate degree | 0 | 0 | 0 | 100 | 0 | 0.013 |
| Income | <$100,000 | >$250,000 | 0 | 100 | 0 | 0 | 0 | 0.027 |
| Presence of children | Not present | Present | 0 | -100 | 0 | 0 | 0 | -0.012 |
| ***Built-environment effects*** |  |  |
| Land use | Rural/suburban | Urban | - | - | - | - |   | - |
| Population density | Low/Medium | High | - | - | - | - |   | - |
| Land-use mix | 25th percentile | 75th percentile | 0 | 0 | 0 | 0 | -100 | -0.001 |
| Retail density | Low/Medium | High | - | - | - | - | - | - |

**References**

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